

See discussions, stats, and author profiles for this publication at: <https://www.researchgate.net/publication/303774058>

Channel–Aquifer width estimation from pumping test data: a simple approach using oil reservoir techniques.

Poster · July 2016

DOI: 10.13140/RG.2.1.3971.8009

CITATIONS

0

READS

215

1 author:



Antonio Hernández-Esprú

Universidad Nacional Autónoma de México

57 PUBLICATIONS 277 CITATIONS

[SEE PROFILE](#)

Some of the authors of this publication are also working on these related projects:



DINÁMICA DE LA INTERFASE SALINA DEL ACUÍFERO DE LA COSTA NOROESTE DE YUCATAN Y ESCENARIOS FRENTE AL APROVECHAMIENTO DEL ACUÍFERO Y EL CAMBIO CLIMÁTICO [View project](#)



Unmanaged Aquifer Recharge in the Mezquital Valley [View project](#)

Antonio Hernández-Espriú, Israel Castro-Herrera, Berenice Zapata-Norberto, Alberto Arias-Paz, Gabriela Luna-Izazaga, Gabriel Salinas-Calleros, Sergio Macías-Medrano, Alberto Villegas-Díaz.

Hydrogeology Group, Earth Sciences Division, Faculty of Engineering, UNAM

4. Methods

5. Results and discussion

6. Conclusions

1. Research Question

Can we use and/or adapt oil reservoir methodologies to assess pumping test data with linear flow patterns in channel-aquifers?

2. Introduction

■ **Pumping tests** represent the standard to evaluate the hydraulic behavior of aquifers and wells through curve matching, since the historical contribution of the Theis (1935) Model for confined aquifers in uniform flow.

■ **Well test analysis** in oil reservoirs became a true reservoir characterization tool with the introduction of derivative analysis by Bourdet et al. (1983). p' allows a better understanding of heterogeneous reservoirs and boundaries.

■ **Linear flow** regime can be indicative of high-K fractured reservoirs or channel structures in the subsurface.

■ **Aim:** to adapt the linear flow analysis in fractured reservoirs for the estimation of channel-aquifer width from pumping tests, using derivative analysis. For this purpose, we analyze pumping test data from the Spiritwood channel-aquifer, USA (Shaver and Pusc, 1992).

3. What is a Channel-Aquifer?

A long, narrow strip highly-productive aquifer in the form of buried-valley deposits, constrained by no-flow boundaries, see Fig. 1.

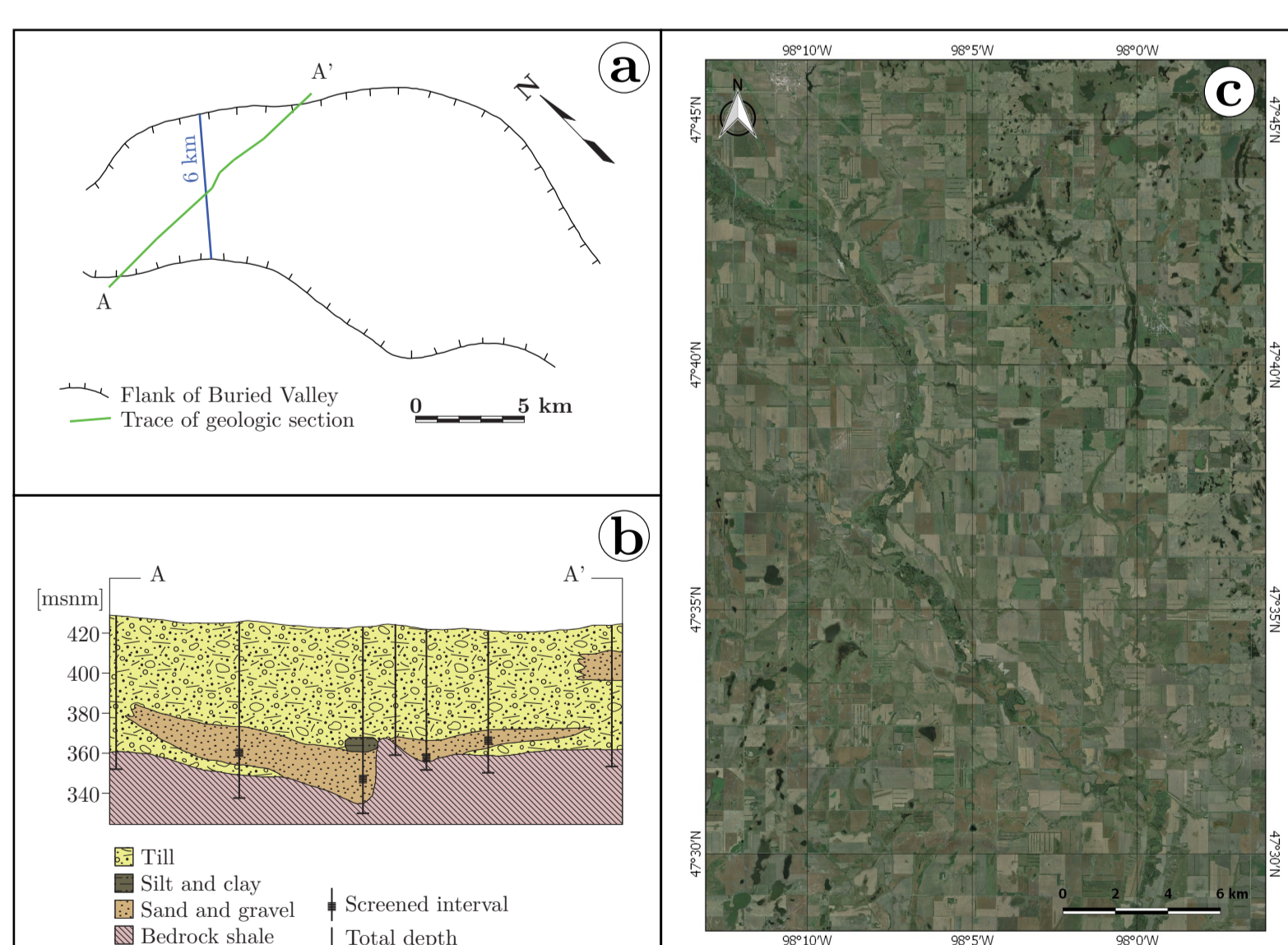


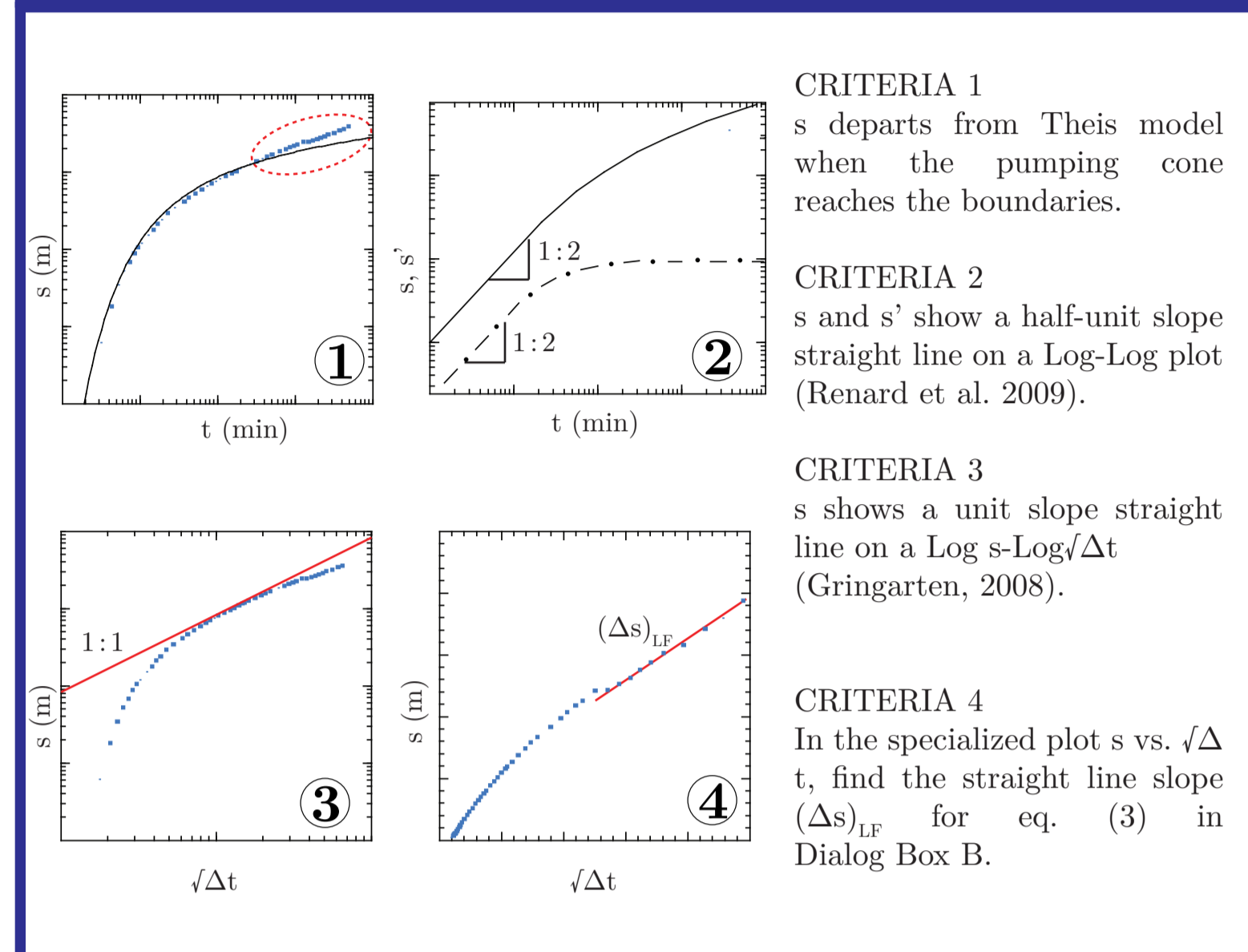
Fig 1. (a) Channel-Aquifer conceptual model and plan view of the Spiritwood channel-aquifer (North Dakota, USA), (b) hydrogeological cross-section AA' of the Spiritwood channel-aquifer, (a) and (b) after Shaver and Pusc (1992), (c) aerial view of the study area (Google Satellite).

Download our poster here

DOI: 10.13140/RG.2.1.3971.8009



Dialog Box A. Channel-Aquifer diagnosis from pumping test data



Dialog Box B. Linear flow model in fractured reservoirs: adjustment for aquifers

Linear model in oil reservoirs (Alagoa and Ayoub, 1985):

$$\Delta P_{wf}(t) = \frac{\alpha_L q B \mu}{k b H} \left[2 \left(\frac{\beta k t}{\phi_e \pi \mu c_t} \right)^{\frac{1}{2}} \right] \quad (1)$$

Considering a *single flowing phase*, eq. (1) simplifies as:

$$\Delta h(t) = s(t) = \frac{Q}{T W_{CA}} \left[t \left(\frac{2T}{\pi S} \right)^{\frac{1}{2}} \right] \quad (2)$$

From eq. (2) we obtain the channel-aquifer width, W_{CA} :

$$W_{CA} = \frac{Q}{T (\Delta s)_{LF}} \left[\left(\frac{2T}{\pi S} \right)^{\frac{1}{2}} \right] \quad (3)$$

Where $\frac{k}{\phi_e \mu c_t}$ and $\frac{T}{S}$ is the hydraulic diffusivity (HD) in oil reservoirs and aquifers, respectively.

In eq. (3) $(\Delta s)_{LF}$ refers to the straight line slope in the *specialized plot* s vs. $\sqrt{\Delta t}$ (see Dialog Box A, Criteria 4)

Dialog Box C. Test Site at Spiritwood Channel-Aquifer, North Dakota

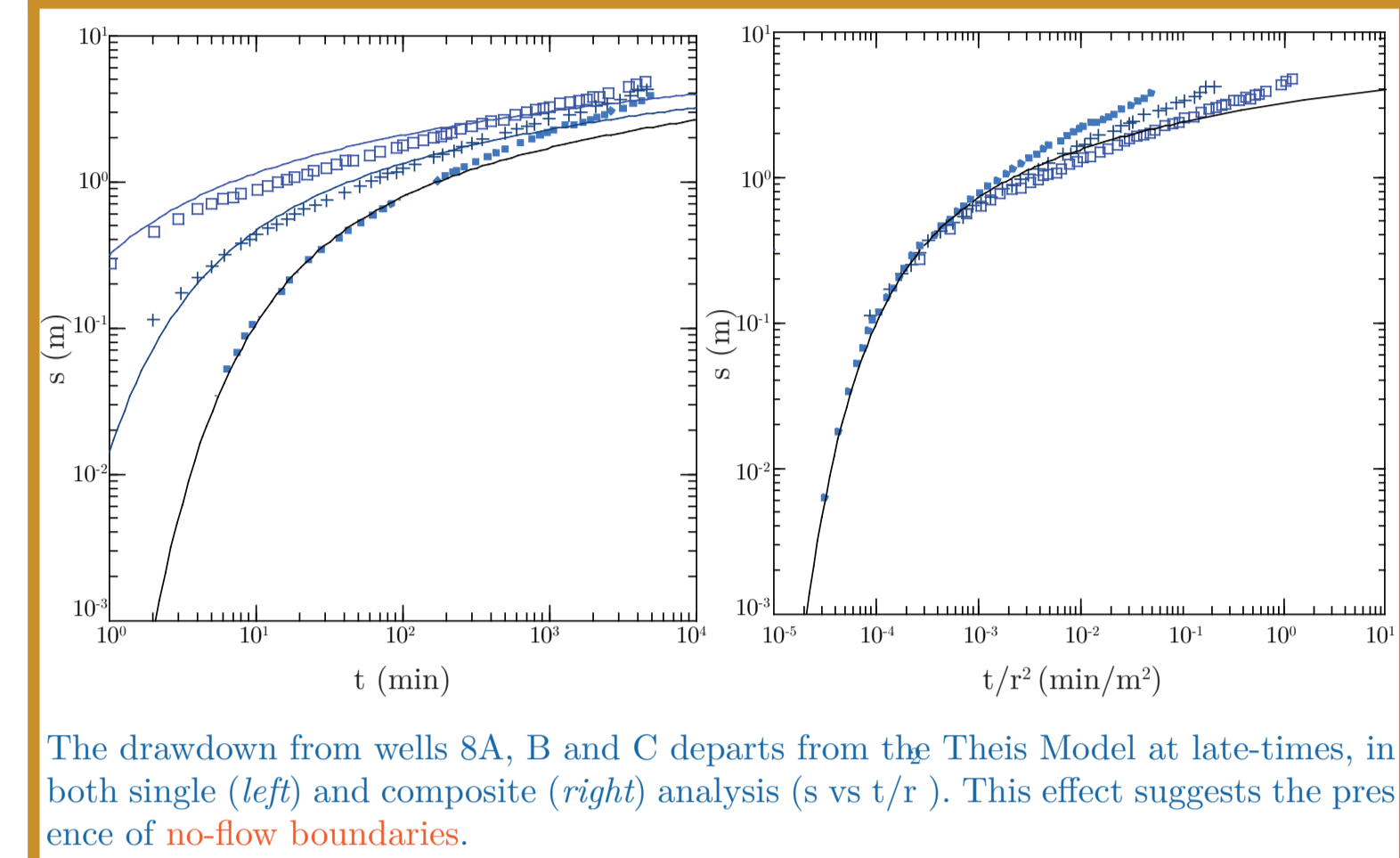
■ We reinterpret an aquifer test conducted in the Spiritwood channel-aquifer (North Dakota, USA) reported in Shaver and Pusc (1992).

■ **Geology:** Pleistocene buried-valley, constrained by longitudinal hydraulic barriers (Fig. 1a) of shale bedrock and till deposits (Western Glaciated Plains regions), that are aligned roughly parallel to the long axes of buried valleys.

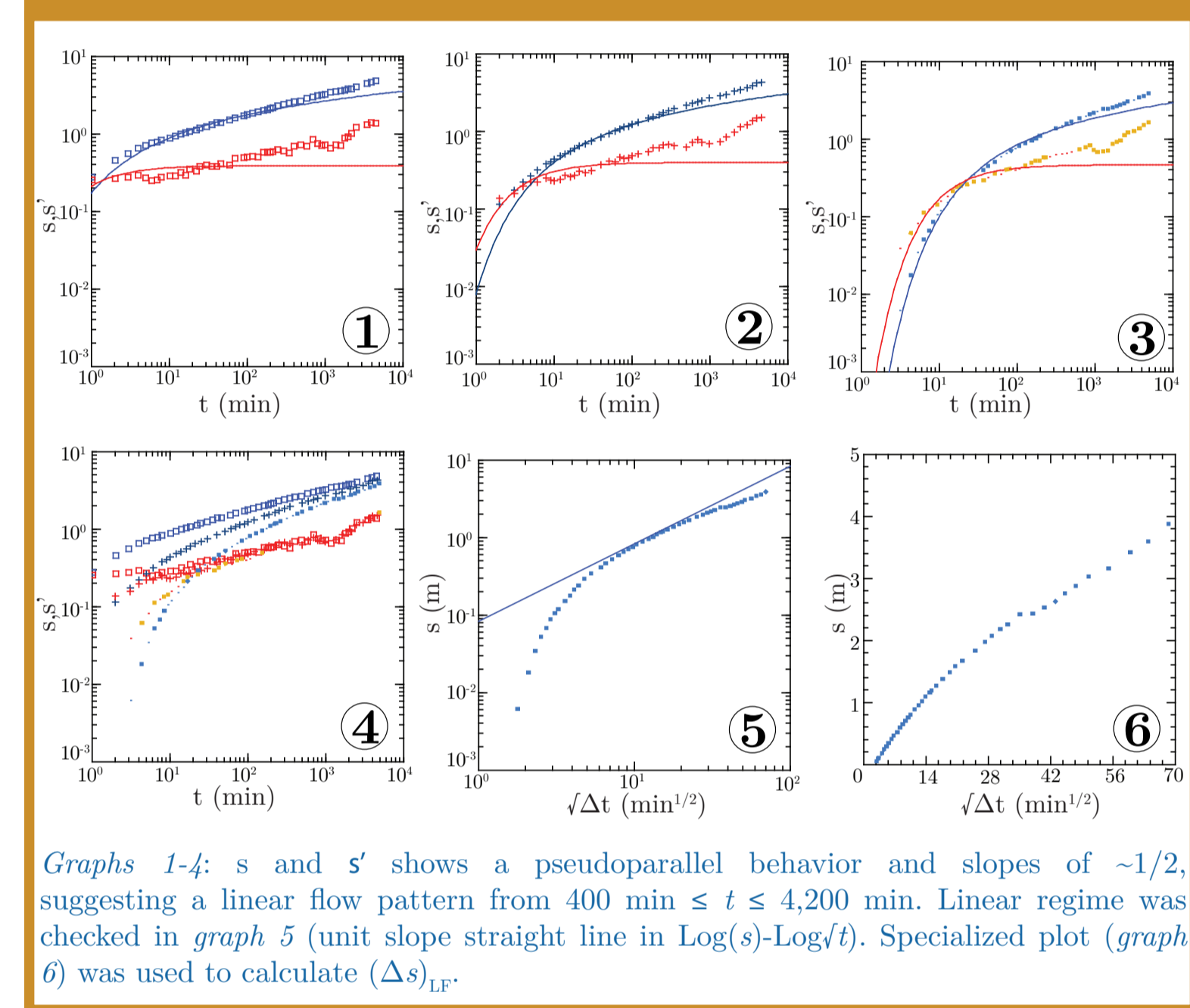
■ **Reported pumping test:**
 $t = 76$ hours
 $Q = 75.7$ L/s
 3 observation wells: 8A ($r=60.96$ m), 8B ($r=152.4$ m), 8C ($r=304.8$ m)

■ We follow the procedure in Dialog Box A (*diagnosis*) and Dialog Box B (*analytical estimation*)

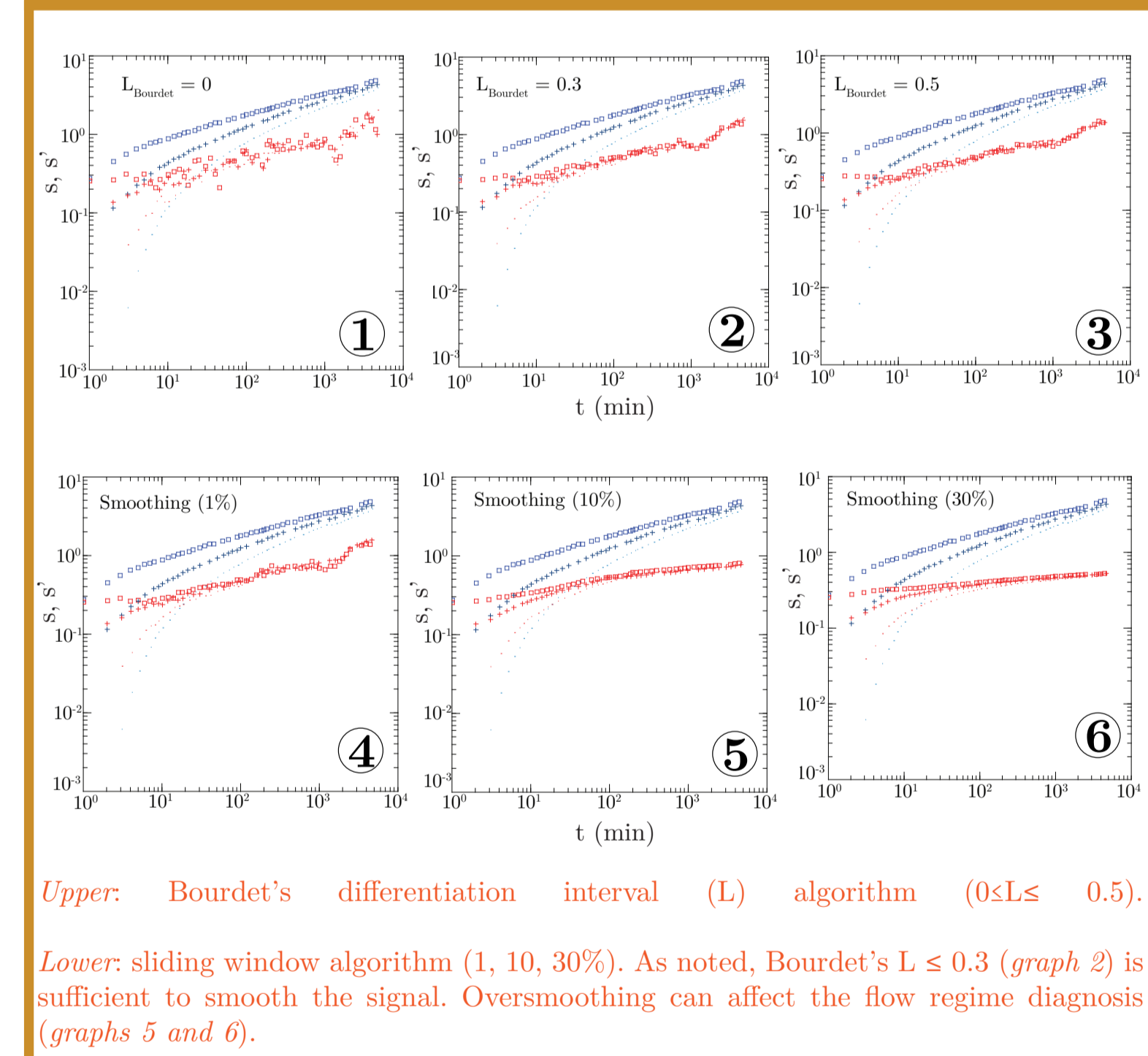
5.1. Theis matching [criteria 1 from Dialog Box A]



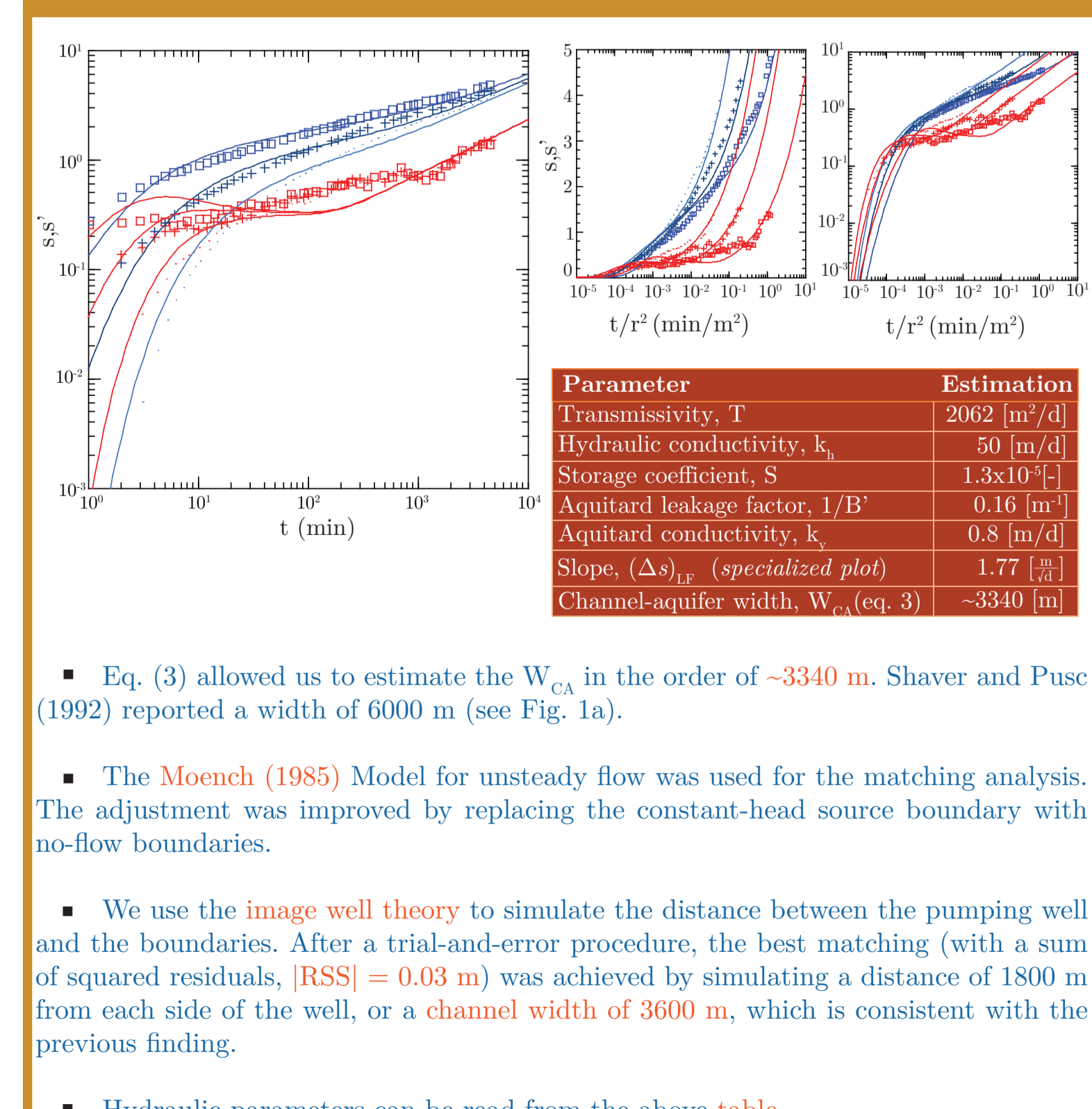
5.2. Diagnostic and specialized plots [criteria 2-4 from Dialog Box B]



5.3. Noise in the derivative signal: impact of smoothing algorithms



5.4. Matching analysis and parameter estimation



■ A simple method for the assessment of linear flow patterns from pumping test data is presented, with a particular focus on the channel-aquifer width estimation.

■ The current workflow was adapted from the oil reservoir engineering.

■ Further research is needed in order to fully understand linear flow geometries considering a wide range of hydraulic, geologic and hydrogeologic settings.

7. References

- Alagoa, A, Ayoub, JA (1985) How to Simplify the Analysis of Fractured Well Tests. World Oil 201 (5): 97–102.
- Bourdet, D, Whittle, TM, Douglas, AA, Pirard, YM (1983) A new set of type curves simplifies well test analysis. World Oil, 196(6), 95–106.
- Moench, AF (1985) Transient flow to a large-diameter well in an aquifer with storative semiconfining layers, Water Resources Research, 21 (8), 1121-1131.
- Renard, P, Glenz, Mejias, M (2009) Understanding diagnostic plots for well-test interpretation. Hydrogeology Journal, 17(3), 589–600.
- Shaver, RB, Pusc SW (1992) Hydraulic barriers in Pleistocene buried-valley aquifers. Ground Water 30, no. 1: 21–28.
- Theis, CV (1935) The relation between the lowering of the piezometric surface and the rate and duration of discharge of a well using groundwater storage. Trans Am Geophys Union 2:519–524.

Nomenclature

- B Oil formation factor
 H Reservoir thickness
 h Hydraulic head
 K Permeability
 P Pressure
 p' Pressure derivative
 P_{wf} Well flowing pressure
 Q Groundwater flow rate
 q Oil flow rate
 r Radial distance
 s Drawdown
- s' Drawdown derivative ($s' = \partial s / \partial \ln(t)$)
 T Aquifer transmissivity
 t Elapsed time
 W_{CA} Channel-aquifer width
- Greek
 Δ Change, drop
 α_L, β Unit conversion factors

Acknowledgments

This research was supported by the DGAPA-PAPIIT (UNAM) within the project “Interpretación avanzada de pruebas hidráulicas en acuíferos integrando técnicas analíticas, modelado numérico y metodologías adaptadas de la ingeniería petrolera”, to A. Hernández-Espriú (grant IN112815).

Interested in our Research Group?

Follow us on Twitter!
 @hydrogeologymx
 www.ingenieria.unam.mx/hydrogeology
 Contact: ahespriu@unam.mx